Clean First or Dirty First? A Cost-Aware Self-Adaptive Buffer Replacement Policy

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ABSTRACT
Flash SSDs originate a disruptive change concerning storage technology and become a competitor for conventional magnetic disks in the area of persistent database stores. Compared to them, they provide a dramatic speed-up for random reads, but exhibit a distinct read/write (R/W) asymmetry, i.e., updates are more expensive than reads. Existing buffer management algorithms for those devices usually trade physical reads for physical writes to some extent. But they ignore the actual R/W cost ratio of the underlying device and the update intensity of the workload. Therefore, their performance advantage is sensitive to device and workload changes. We propose CASA (Cost-Aware Self-Adaptive), a novel buffer replacement policy, which makes the trade-off between physical reads and physical writes in a controlled fashion, depending on the R/W cost ratio, and automatically adapts itself to changing update intensities in workloads. Our experiments show that CASA outperforms previous proposals in a variety of cost settings and under changing workloads.

Categories and Subject Descriptors
D.4.2 [Storage Management]: Main memory, Storage hierarchies; D.4.4 [Communications Management]: Buffering, Input/output; H.2 [Database Management]: Miscellaneous

General Terms
Algorithms, Experimentation, Performance

Keywords
Replacement Policy, Cache, Database Storage, Flash SSD

1. INTRODUCTION
Flash SSDs (flash-memory-based solid-state drives) are playing an increasingly important role for server-side computing, because—compared to magnetic disks—they are much more energy-efficient and they have no mechanical parts and, therefore, hardly any perceptible latency. Reading a page from a flash SSD is extremely fast, while a page update can be one or two orders of magnitude slower. For this reason, existing buffer management algorithms for flash-based systems, or flash-aware buffer algorithms, usually trade physical reads for physical writes to some extent, in order to improve the overall I/O performance.

Classical buffer algorithms, e.g., LRU, assume that a physical read has about the same cost as a physical write and, therefore, do not apply differing decision policies when read-only or modified pages are replaced in the buffer [1]. This assumption is reasonable for conventional magnetic disks, but not valid for flash-based devices. On the other hand, existing flash-aware algorithms are not applicable for magnetic disks, because their saving in physical writes usually comes at the expense of a higher number of physical reads or lower hit ratios. This observation reveals an important problem, because magnetic disks are expected to co-exist with flash SSDs for a long period of time. In principle, the buffer layer should be aware of the characteristics of the underlying storage devices and adapt itself to changes in such characteristics automatically.

Most of the existing flash-aware buffer algorithms assume that a physical write is much more expensive than a physical read. However, in fact, the extent of flash R/W asymmetry is varying from device to device, even among the devices from the same manufacturer. For example, an Intel X25-V SSD achieves 25 K IOPS for reads and 2.5 K IOPS for writes [2], while an Intel X25-M SSD reaches 35 K IOPS for reads and 8.6 K IOPS for writes [3]. We use the term R/W cost ratio, or cost ratio for short, defined as the ratio between the long-term average time used by physical reads and the same used by physical writes, to express the R/W asymmetry of storage devices, i.e., for a storage device, it tells how much more expensive is a write compared with a read, and vice versa. For example, the cost ratios of the above mentioned devices are 1 : 10 and 1 : 4, respectively. Cost ratios deliver important information for making trade-offs between physical reads and physical writes, but they are ignored by existing flash-aware algorithms, i.e., these algorithms are not aware of the cost.

As another common problem of existing flash-aware buffer algorithms, they ignore the possibly changing update intensity, i.e., the percentage of write requests, in the workload.

\footnote{Due to the lower $/GB cost of magnetic disks, their dominant market position is not likely to be taken over by flash SSDs in the near future.}

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while making the replacement decision. Some of them leave a parameter for the user to make such an important but difficult performance tuning.

The major contribution of this paper is the design and evaluation of CASA, a cost-aware self-adaptive buffer management algorithm, which addresses the above mentioned problems. The remainder of this paper is organized as follows. Section 2 describes the problem formally. Section 3 sketches the related work. Section 4 introduces our algorithm, while its experimental results are presented in Section 5. The concluding remarks are given in Section 6.

2. THE PROBLEM

We focus on buffer management algorithms for homogeneous storage devices with possibly asymmetric R/W costs. Situations where heterogeneous storage devices (e.g., flash SSDs and magnetic disks) co-exist in a single storage subsystem, are more related to the data-allocation problem and, thus, are not our focus.

If we denote the sequence of $n$ logical I/O requests $\{x_0, x_1, \ldots, x_{n-1}\}$ as $X$, a buffer management algorithm $A$ is a function that maps $X$ and a buffer with $b$ pages into a sequence of $m$ physical I/O requests $Y := \{y_0, y_1, \ldots, y_{m-1}\}$, $m \leq n$, i.e., $A(X, b) = Y$.

Let $C(Y)$ denote the accumulated time necessary for a storage device to serve $Y$, we have $C(Y) = C(A(X, b))$. Given a sequence of logical I/O requests $X$, a buffer with $b$ pages, and a buffer management algorithm $A$, we say $A$ is cost-optimal, iff for any other algorithm $A'$, $C(A(X, b)) \geq C(A'(X, b))$.

For magnetic disks, $C(Y)$ is often assumed to be linear to $|Y|$. Clearly, this assumption does not hold for flash SSDs, because $C(Y)$ heavily depends on the cost ratio of read and write requests and their percentages in $Y$. Therefore, each I/O request, either logical or physical, has to be represented as a tuple of the form $(op, pageId)$, where $op$ is either $R$ (for a read request) or $W$ (for a write request). We denote the cost of physically serving an $R$-request as $c_{CR}$, and that of physically serving a $W$-request as $c_{CW}$. Depending on the characteristics of the underlying storage device, $c_{CR}$ may or may not be equal to $c_{CW}$. The term cost refers to time cost instead of monetary cost, since a cost-optimal algorithm should minimize the accumulated time for serving I/O requests.

While the above formalization defines our problem, our goal is not to find the optimal algorithm in theory, but a practically applicable one that has acceptable runtime overhead and minimizes the overall I/O cost. Hit ratios are related to the overall I/O cost, because the number of buffer faults is equal to the number of physical reads, whose cost can not be ignored compared with the cost of main memory access, even with fast flash SSDs. But they are not the only concern according to our model—saving physical writes could be more cost-effective in some cases. We assume that the cost ratio is known, e.g., it may be derived from IOPS figures or average response times. In Section 5.3, we demonstrate an efficient technique that can detect the cost ratios online.

Prefetching of pages plays an important role for conventional disk-based buffer management. However, prefetching always includes the risk of fetching pages later not needed. Furthermore, with flash SSDs, prefetching becomes much less important, because pages can be randomly fetched on demand without (hardly) any penalty in the form of access latency. Therefore, we focus on the core logic of buffer management, i.e., the replacement policy.

3. RELATED WORK

LRU is one of the most widely-used replacement policies. CFLRU [4] is a flash-aware replacement policy for operating systems based on LRU. At the LRU end of its list structure, it maintains a clean-first region, where clean pages are always selected as victims over dirty pages. The remaining part of its list structure is called working region. Only when clean pages are not present in the clean-first region, the dirty page at the LRU tail is selected as victim. The size of the clean-first region is determined by a parameter $w$ called window size. By evicting clean pages first, the buffer area for dirty pages is effectively increased—thus, the number of flash writes can be reduced.

The CFDC algorithm [5] also addresses the R/W asymmetry of flash devices by managing the buffer pool in two regions: the working region and priority region. In the priority region, dirty pages are kept in the buffer longer than clean pages. Furthermore, they are clustered by logical block addresses to enforce higher spatial locality (thus higher efficiency) of page flushing.

LRUWSR [6] is a flash-aware algorithm based on LRU and Second Chance [7], using only a single list as auxiliary data structure. The idea is to evict clean and cold-dirty pages and keep the hot-dirty pages in buffer as long as possible. When a victim page is needed, it starts searching from the LRU end of the list. If a clean page is found, it will be returned immediately (LRU and clean-first strategy). If a dirty page marked as “cold” is found, it will also be returned; otherwise, it will be marked “cold” (Second Chance), moved to the MRU (most-recently used) end of the list, and the search continues.

The authors of CCF-LRU [8] further refine the idea of LRUWSR by distinguishing between cold-clean and hot-clean pages. Cold pages are distinguished from hot pages using the Second Chance algorithm. They define four types of eviction costs: cold-clean, cold-dirty, hot-clean, and hot-dirty, with increasing priority, thus cold-clean pages are first considered for eviction, then cold-dirty, and so on.

The major problem of CFLRU is its tuning parameter $w$, which is performance-critical but difficult to determine. Its optimal value depends on the cost ratio of the storage device and the update intensity of the workload, which may vary over time. Although its authors have mentioned a dynamic version of CFLRU, which automatically adjusts the parameter “based on periodically collected information about flash read and write operations” [4], its control logics is not presented. Yoo et al. proposed several variants of CFLRU [9], aiming at reducing the number of flash erase operations and improving wear-leveling. These variants have the same limitation as CFLRU and their design goals are different from ours.

Although LRUWSR and CCF-LRU don’t require parameter tuning, their clean-first strategy is carried out only based on the coarse assumption of R/W cost asymmetry and hot-cold detection using the Second Chance algorithm, which, in turn, only approximates LRU. As a consequence, it is difficult for them to reason, when should a cold-dirty page be first considered for eviction over a hot-clean page, and vice versa.
4. THE CASA ALGORITHM

4.1 Overview

CASA manages the buffer pool $B$ of $b$ pages using two dynamic lists: the clean list $C$ for keeping clean pages that are not modified since being read from secondary storage, and the dirty list $D$ accommodating dirty pages that are modified at least once in the buffer. Pages in either list are ordered by reference recency. Both lists are initially empty, while in the stable state (no empty pages available), we have the following invariants: $|C| + |D| = b$, $0 \leq |C| \leq b$, $0 \leq |D| \leq b$, as illustrated in Figure 1.

The algorithm continuously adjusts parameter $\tau$, which is the dynamic target size of $C$, $0 \leq \tau \leq b$. Therefore, the dynamic target size of $D$ is $b - \tau$. The logic of adjusting $\tau$ is simple: we invest in the list that is more cost-effective for the current workload. If there is a page hit in $C$, we heuristically model the current relative cost effectiveness of $C$ with $|D| / |C|$. Similarly, in case of a page hit in $D$, we model its current relative cost effectiveness with $|C| / |D|$. The relative cost effectiveness is considered when determining the magnitude of adjustment for $\tau$ (see Section 4.2). The simple heuristics used here has low overhead and is effective, as shown by our experiments in Section 5.

4.2 The Algorithm

Besides the page request, the algorithm (see Algorithm 1) requires as input also the normalized costs $c_R$ and $c_W$ such that $c_R + c_W = 1 \wedge c_R \div c_W = \text{cost ratio}$. They can be derived from the cost ratio, i.e., important to the algorithm is the extent of the R/W asymmetry, not the exact costs of physical reads and writes.

The magnitude of the adjustment in $\tau$ is determined both by the cost ratio and by the relative cost effectiveness. The adjustment is performed in two cases:

Case 1 A logical $R$-request is served in $C$ (line 3 of Algorithm 1);

Case 2 A logical $W$-request is served in $D$ (line 8 of Algorithm 1)

In Case 1, we increase $\tau$ by $c_R \times (|D| / |C|)$. Note $|C| \neq 0$, since it is a buffer hit. The increment combines the “saved cost” of this buffer hit $c_R$ and the relative cost effectiveness $|D| / |C|$. Similarly, in Case 2, we decrease $\tau$ by $c_W \times (|C| / |D|)$.

In case of a buffer fault (line 12-26), if there is no empty page available, $\tau$ guides the decision, from which list to select the victim page (line 16 and 19). The actual sizes of both lists are also influenced by the clean/dirty state of requested pages. The clean/dirty state of a requested page $p$ is decided by its previous state in the buffer, i.e., in which list it resides, and the current request type ($R$ or $W$). If the state of the requested page $p$ is clean (after serving the request), $p$ will be moved to $C$ (line 4 and 24), otherwise to $D$ (line 6, 9, 11, and 26). Therefore, the sizes of $C$ and $D$ are dynamically determined by $\tau$, and the update intensity. Under a workload with mixed $R$-requests and $W$-requests, a starvation of one list will never happen, even when $\tau = 0 \vee \tau = b$, while under $R$-only (or $W$-only) workloads, a starvation of $D$ (or $C$) is desired and the starved list recovers as soon as the workload becomes mixed again.

4.3 Implementation Issues

Algorithm 1 requires a request in the form of $(op, pageId)$, i.e., the request type must be present. This may not be

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[Algorithm 1: CASA]

input : request for page $p$ in the form $(op, pageId)$, where $op = R$ or $op = W$; normalized costs $c_R$ and $c_W$ such that $c_R + c_W = 1 \wedge c_R \div c_W =$ cost ratio

output: the requested page $p$

init. : buffer pool $B$ with capacity $b$; list $E$ of empty pages, $|E| = b$; lists $C$ and $D$, $|C| = 0, |D| = 0$; $\tau \in \mathbb{R}$, $\tau \leftarrow 0$

1 if $p \in B$ then
2 if $p \in C \land op = R$ then
3 $\tau \leftarrow \min(\tau + c_R \times (|D| \div |C|), b)$;
4 move $p$ to MRU position of $C$;
5 else if $p \in C \land op = W$ then
6 move $p$ to MRU position of $D$;
7 else if $p \in D \land op = W$ then
8 $\tau \leftarrow \max(\tau - c_W \times (|C| \div |D|), 0)$;
9 move $p$ to MRU position of $D$;
10 else
11 /\ p \in D \land op = R
12 move $p$ to MRU position of $D$;
13 else
14 victim page $v \leftarrow \text{null}$;
15 if $|E| > 0$ then
16 $v \leftarrow \text{remove tail of } E$;
17 else if $|C| > \tau$ then
18 $v \leftarrow \text{LRU page of } C$;
19 else
20 $v \leftarrow \text{LRU page of } D$;
21 physically write $v$;
22 physically read $p$ into $v$;
23 $p \leftarrow v$;
24 if $op = R$ then
25 move $p$ to MRU position of $C$;
26 else
27 move $p$ to MRU position of $D$;

28 return $p$;
the case in some systems, where a page is first requested without explicitly claiming the request type, and it is read or updated some time later. However, most DBMSs use the classical pin-use-unpin (or fix-use-unfix) protocol [10] for pages requests. It is easy to use an update flag, which is cleared upon the pin call and set by the actual page update operation. Upon the unpin call, the buffer manager knows the request type by checking this flag.

To achieve write avoidance by delaying the replacement of dirty pages, the buffer manager should not be burdened with conflicting write/update propagation requirements. We assume a NoForce/Steal policy for the logging&recovery component providing maximum degrees of freedom [11]. NoForce means that pages modified by a transaction do not have to be forced to disk at its commit, but only the redo logs. Steal means that modified pages can be replaced and their contents can be written to disk even when the modifying transaction has not yet committed, provided that the undo logs are written in advance (observing the WAL principle (write ahead log)). With these options together, the buffer manager has a great flexibility in its replacement decision, because the latter is decoupled from transaction management. In particular, replacement of a specific dirty page can be delayed to save physical writes or even advanced, if necessary, to improve the overall I/O efficiency. Hence, it comes as no surprise that NoForce/Steal is the standard solution for existing DBMSs.

Another aspect of recovery provision is checkpointing to limit redo recovery in case of a system failure, e.g., a crash. To create a checkpoint at a “safe place”, earlier solutions flushed all modified buffer pages thereby achieving a transaction-consistent or action-consistent firewall for redo recovery on disk. Such direct checkpoints are not practical anymore, because—given large DB buffer sizes—they would repeatedly imply limited responsiveness of the buffer for quite long periods3. Today, the method of choice is fuzzy checkpointing [12], where only metadata describing the checkpoint is written to the log, but displacement of modified pages is obtained via asynchronous I/O actions not linked to any specific point in time.

As a final remark: the time complexity of our algorithm is $O(1)$ and it requires minimal auxiliary data structures. As our experiments will show, it is also very efficient.

5. EXPERIMENTS

We implemented the bottom-most two layers of a DBMS: the file manager supporting page-oriented access to the data files, and the buffer manager serving page requests, which uses the related algorithms via a common interface. Five algorithms were included in our experiments: CASA, LRU (representing conventional buffer algorithms), and the flash-aware algorithms represented by CFLRU, CCFLRU, and LRUWSSR. We did not include the CFLRU variants [9] and CFDC [5], due to two reasons: 1. All of them require the tuning of a parameter controlling the sizes of two buffer regions—the same limitations represented by CFLRU; 2. The page-clustering technique of CFDC is complementary

3While checkpoints are written, which often occurs in intervals of few minutes, systems are restricted to read-only operations. Assume that many GBytes would have to be propagated to multiple disks using random writes (in parallel). Hence, reaction times for update operations could reach a considerable number of seconds or even minutes.

5.1 Changing Workload

To examine the behavior of the algorithms under changing workloads, we used a tailor-made trace, called CONCAT. It was built from an OLTP trace and a DSS trace, both of which were gained using specific code integrated into the buffer manager of the PostgreSQL DBMS. The OLTP trace recorded a TPC-C workload with a scaling factor of 50 warehouses, whereas the DSS trace captured a read-only TPC-H query workload. The pages referenced by both traces did not overlap. Table 1 lists specific statistics of these traces recorded. To simulate changing workloads, we concatenated the OLTP and the DSS traces and attached a copy of them at the end, i.e., as final result, the trace CONCAT had the four phases OLTP–DSS–OLTP–DSS and an overall update percentage of 5.6%.

We ran this trace for each algorithm and recorded the number of physical reads and physical writes necessary to serve the logical request stream. Hit ratios can be derived from the number of physical reads and the total number of requests, but, of primary concern is the the overall I/O cost, which, in our simulation, can be presented by the virtual execution time $T_v$:

$$T_v = n_R \times c_R + n_W \times c_W$$

(1)

where $n_R$ and $n_W$ are the number of physical reads and physical writes, respectively, and $c_R \div c_W = \text{cost ratio}$. Figure 2 shows the virtual execution time $T_v$ of CASA and the flash-aware algorithms relative to LRU, for cost ratio 1:1 and 1:64. For CFLRU, we repeated the experiment for window sizes $w = 0.25$, $w = 0.50$, and $w = 0.75$, relative to the buffer size, and denoted as CFLRU-0.25, CFLRU-0.50, and CFLRU-0.75. For improved clarity of the visual presentation, we chose to plot its curve only for the best-performing $w$-setting.

The cost ratio 1:1 (Figure 2a) simulates the case of magnetic disks. Here, LRU exhibited the best performance, because it is immune to variations of update intensities in the workload. While the flash-aware algorithms are clearly outperformed by LRU, $T_v$ of CASA closely approaches that of LRU. Although read and write costs are symmetric, the flash-aware algorithms still discriminate clean pages and try to keep dirty pages as long as possible, resulting in an unjustified high $n_R$ and consequently a higher $T_v$. For example, with 16,000 buffer pages, $n_R$ of CCFLRU is higher than that of LRU by factor three (4,444,570 vs. 1,433,996), while its $n_W$ savings is only about 12% (111,891 vs. 128,456). As a result, its $T_v$ is two times higher than that of LRU (out of the plot area). For CFLRU, the setting $w = 0.25$ had the best performance, because, with the other two settings, the higher numbers of physical reads were not paid off by the savings in physical writes.

With the cost ratio 1:64 (Figure 2b), the window size $w = 0.75$ of CFLRU achieved a better performance than its other two settings, because it more greedily trades reads to our approach, because page flushing is orthogonal to replacement policies and any clustering technique could be implemented in the page-flushing procedure for all replacement policies.
Table 1: Statistics of the OLTP trace and DSS trace

<table>
<thead>
<tr>
<th>Attribute</th>
<th>OLTP</th>
<th>DSS</th>
</tr>
</thead>
<tbody>
<tr>
<td>number of page requests</td>
<td>1,420,613</td>
<td>3,250,972</td>
</tr>
<tr>
<td>number of distinct pages</td>
<td>59,782</td>
<td>104,308</td>
</tr>
<tr>
<td>min page number</td>
<td>0</td>
<td>220,000</td>
</tr>
<tr>
<td>max page number</td>
<td>219,040</td>
<td>325,639</td>
</tr>
<tr>
<td>number of reads</td>
<td>1,156,795</td>
<td>3,250,972</td>
</tr>
<tr>
<td>number of updates</td>
<td>263,818</td>
<td>0</td>
</tr>
<tr>
<td>update percentage</td>
<td>18.57%</td>
<td>0</td>
</tr>
<tr>
<td>locality (number of the hottest pages vs. number of requests for them)</td>
<td>(20% vs. 86%)</td>
<td>(20% vs. 88%)</td>
</tr>
</tbody>
</table>

Figure 2: Virtual execution times relative to LRU running the CONCAT trace, for R/W cost ratios 1:1 and 1:64. Buffer size scaled from 1,000 to 16,000 pages.

In Figure 3a, we plot the size of the clean list $C$ of CASA versus the virtual time (request number). The curve clearly reflects the four phases of the workload: it fluctuates around 200 in the OLTP phases and stays at 1,000 in the DSS (read-only) phases. The violent oscillation in the OLTP phases is only a visual effect. For example, the slowly climbing curve in Figure 3b, reflecting the stage when the clean list gains pages from the empty list during the first 10,000 requests, is squeezed into nearly a vertical line in Figure 3a.

5.2 Cost Awareness

We now study CASA’s behavior with various cost ratios, whereas the experiments in Section 5.1 focused on the changes in the workload. The trace used here is a one-hour page reference trace of an OLTP production system of a bank. This trace is well-studied and has been used in [8, 13, 14, 15, 16]. It contains 607,390 references to 8-KB pages in a DB having a size of 22 GB, addressing 51,880 distinct page numbers. About 23% of the requests update the page

Table 2: Number of physical reads and physical writes running the bank trace using 1,000 and 10,000 buffer pages

<table>
<thead>
<tr>
<th></th>
<th>1,000 pages</th>
<th>10,000 pages</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>$n_R$</td>
<td>$n_W$</td>
</tr>
<tr>
<td>CCFLRU-0.25</td>
<td>427,012</td>
<td>71,103</td>
</tr>
<tr>
<td>CFLRU-0.50</td>
<td>389,914</td>
<td>85,818</td>
</tr>
<tr>
<td>CFLRU-0.75</td>
<td>388,917</td>
<td>74,688</td>
</tr>
<tr>
<td>LRU</td>
<td>403,056</td>
<td>95,849</td>
</tr>
<tr>
<td>LRUWSR</td>
<td>409,469</td>
<td>90,183</td>
</tr>
<tr>
<td>CASA 1:1</td>
<td>389,350</td>
<td>77,884</td>
</tr>
<tr>
<td>CASA 1:4</td>
<td>398,249</td>
<td>72,190</td>
</tr>
<tr>
<td>CASA 1:64</td>
<td>417,715</td>
<td>71,350</td>
</tr>
<tr>
<td>CASA 1:128</td>
<td>425,993</td>
<td>71,138</td>
</tr>
<tr>
<td></td>
<td>426,932</td>
<td>71,116</td>
</tr>
</tbody>
</table>
The complete trace

The first 10,000 requests

Figure 3: The size of the clean list changes with the virtual time (request number), reflecting the workload characteristics. The buffer size was 1,000 pages and the R/W cost ratio was 1:64.

referred. Exhibiting substantial locality, 20% (10,376) of the pages are referenced by 72% (434,702) of the requests.

For CASA, we ran the trace with cost ratios scaling from 1:1 to 1:128. For the remaining algorithms, there is no need to repeat the test for cost ratios 1:4 to 1:128, because only CASA is aware of different cost ratios and can adjust its behavior accordingly. As illustrated by the $n_R$ and $n_W$ figures listed in Table 2, CASA used increasingly more physical reads and, in turn, saved more physical writes, while the relative cost of physical writes was increased.

We calculated the $T_v'$s according to Formula 1 and show their ratios relative to those of LRU in Figure 4. The workload has a relatively high percentage of update requests and, as a result, the flash-aware algorithms could demonstrate their performance advantage over LRU—nearly all of them are below the 1.0 horizontal line in the chart. CASA had clearly the best performance for nearly all settings. For cost ratio 1:128 and buffer size 10,000 pages, it is about 30% faster than LRU. In several cases, it was slightly outperformed by CFLRU with its best $w$-settings (which were manually optimized). But in real application scenarios, the best $w$-setting of CFLRU is hard to find: it depends not only on the cost ratio and the update percentage of the workload, but also on the buffer size (Compare Figure 4a and Figure 4b for cost ratios 1:1 or 1:4).

5.3 Dynamic Cost-Ratio Detection

Being fundamentally different from the tuning requirement of CFLRU, our algorithm automatically optimizes itself at runtime, given the knowledge concerning cost ratios. So far, we have assumed that this knowledge is available to the algorithm. It can be provided, e.g., by the device manufacturer or by the administrator. It would be even better if, in the future, devices provide an interface for querying the cost ratio online.

In fact, the elapsed time serving each physical I/O request can be measured online. Therefore, it can be used to derive the cost ratio information. However, these measurements are subject to severe fluctuations. For example, the latency of a physical read on magnetic disks depends on the position of the disk arm. On flash SSDs, a physical write may trigger a much more expensive flash erase operation or even a garbage collection process involving multiple flash erase operations [17]. Therefore, we use an $n$-point moving average of the measured values to smooth out short-term fluctuations, because only the long-term average cost is of interest. Hence, the average cost of the last $n$ physical reads (or writes) is used as the basis for the normalized cost $c_R$ (or $c_W$) required by Algorithm 1. Note, no change to the algorithm is needed to use the dynamically detected costs.

Maintaining the moving average requires the last $n$ measurements to be remembered. Assuming that two bytes are used to store a measured value, to remember, e.g., 32,768 values, we need only eight pages (page size = 8 KB) and, in total, 16 pages for both reads and writes. To optimize the moving-average procedure, the measured values can be stored in an array (managed as a FIFO queue). Then, the time complexity of maintaining the moving average is independent of $n$: for each new measurement, only an array-element update and a few arithmetic operations are involved.

To test this idea, we ran the same trace evaluated in Section 5.2 using real device accesses to a WD WD1500HLFS HDD (magnetic disk) and an Intel SSDSA2MH160G1GN flash SSD. The physical R/W costs were measured and updated online as described above. We chose $n = 32768$ for the $n$-point moving average, because it is large enough to smooth out the short-term fluctuations and its space overhead is small. Our test machine is equipped with an AMD Athlon Dual Core Processor, 3 GB of main memory, and is running Linux (kernel version 2.6.24) residing on a magnetic disk. To avoid the influence of the down-stream caches along the cache hierarchy, we deactivated the file-system prefetching and the on-device write cache, and set the DIRECT_IO flag while accessing the device under test.

4 Two bytes can store timings ranging from 1 to 65,536 nanoseconds, which should be enough to cover all the possible physical I/O cost values. Furthermore, burst values out of this range can be safely ignored.
Figure 4: Virtual execution times relative to LRU running the bank trace for buffer sizes of 1,000 and 10,000 pages. The R/W cost ratio was scaled from 1:1 to 1:128.

Figure 5: Dynamically detected physical R/W costs vs. the virtual time, using an n-point moving average (n = 32768), for running the bank trace using 1,000 buffer pages.

Figure 5 plots the detected R/W costs for the HDD and SSD devices. Our approach effectively hid the bursts in the measure values and amortized them in the cost ratio, which is about 1:1.5 for the HDD and 1:4.5 for the SSD. As an extra advantage, it captures the cost ratio’s long-term variations, which are caused by, e.g., the change of read/update patterns (random vs. sequential) in the workload.

We scaled the buffer size from 1,000 to 10,000 pages and measured the real execution times. On the SSD, CASA had the best performance, while on the HDD, it was comparable to CFLRU with the best w-settings, but better than the remaining algorithms. Figure 6 plots the measured execution times relative to that of LRU for buffer sizes of 1,000 and 10,000 pages. The relative real performance shown in Figure 6 is roughly comparable with the relative virtual performance shown in Figure 4 for cost ratios 1:1 and 1:4.

In summary, our experiments covering varying workload and various cost ratios have demonstrated the problems of existing flash-aware algorithms: their performance advantage over conventional algorithms heavily depends on the update intensity in workloads and the R/W cost ratio of storage devices. A remarkable example is CCFLRU: under the typical update-intensive OLTP workload (Figure 4), it achieved very good performance for highly skewed cost ratios (e.g., 1:64 and 1:128), but suffered from a drastic performance degradation for symmetric R/W costs (1:1). Furthermore, its performance becomes unacceptable under the workload with varying update intensities (Figure 2). In contrast, CASA exhibits a consistently good performance for various configurations, both in the simulation and in the real system.
6. CONCLUSION

The problem of buffer management for asymmetric I/O costs is of great importance with emerging flash SSDs. We proposed to use the R/W cost ratio to capture the R/W asymmetry of those devices and presented CASA—a novel cost-aware self-adaptive algorithm. Our experiments have shown that CASA is efficient and can adapt itself to various cost ratios and to changing workloads, without any tuning parameter. Our solution is not limited to flash-based storage devices, but should be generally applicable to block-oriented storage devices with asymmetric I/O costs.

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8. REFERENCES